

THEORETICAL TRENDS AND UNIVERSALITIES IN THE SPECTRA OF

TRANSITION METAL COMPOUNDS IN SEMICONDUCTORS



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fixed configuration (say, $e^m t^n$) contains the average energy $E^A(A, B, C)$ of all single-configuration energies that evolve from (m, n) . Here, A is the total energy, B is the energy of the configuration, and C is the energy of the configuration. The energy $E^A(A, B, C)$ is the energy of the configuration (m, n) .

incorporate explicitly the separation of average MF effects from multiplet corrections.

This general formalism can be applied in two ways. First, one could compute from MF wavefunctions all of the symmetry and spin-dependent anisotropic many-electron integrals underlying $E^A(m, n; m', n')$, as well as the MF energy separations $A_{MF}(m, n; m', n')$, and insert them into the general matrix equations (1) to obtain the multiplet spectra and MF vs MC components. Alternatively, one may wish to establish the magnitude and trends of the multiplet splittings directly by using the theory itself, using the integrals of the theory as "control" parameters. The number of independent integrals $E^A(m, n; m', n')$ is $(m+1)(n+1)$ and the number of independent integrals $A_{MF}(m, n; m', n')$ is $(m+1)(n+1)$. The number of independent integrals $E^A(m, n; m', n')$ is $(m+1)(n+1)$ and the number of independent integrals $A_{MF}(m, n; m', n')$ is $(m+1)(n+1)$.

of the σ and π ions is the MC for donor transitions. In MCs for the ground states the donor transition energies in $11-\nu$ s and $11-\nu$ s will have a separation

$$E_D^A(0/\nu) = \frac{N_D N_D - 1}{\Delta E_{MF}} + \frac{N_D N_D - 1}{\Delta E_{MC}}, \quad (1)$$

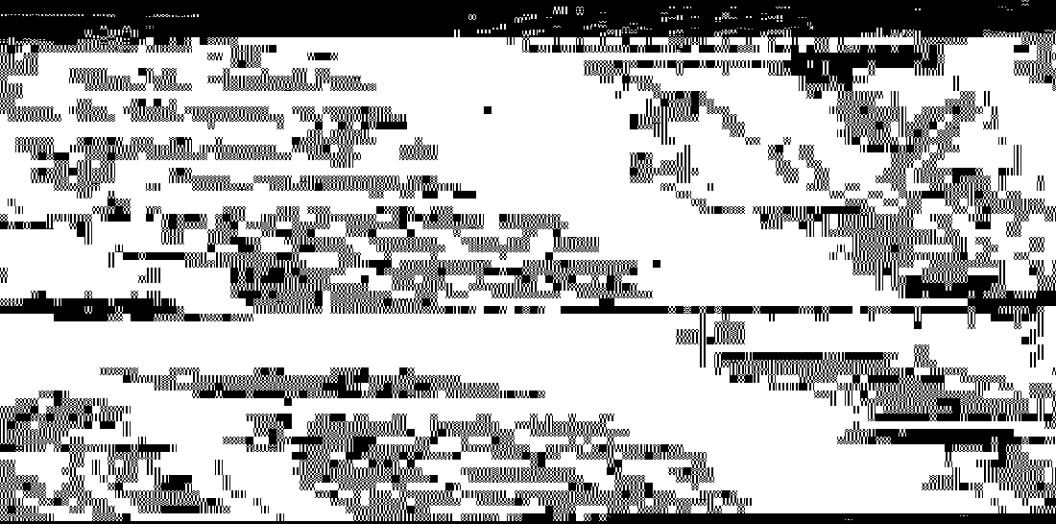
where the neutral cations A^0 have the electron configuration (m, n) and the donor transition energies in $11-\nu$ s and $11-\nu$ s will have a separation

$$E_D^A(1/\nu) = \frac{N_D N_D + 1}{\Delta E_{MF}} + \frac{N_D N_D + 1}{\Delta E_{MC}}, \quad (2)$$

where the neutral cations A^0 have the electron configuration (m, n) and the donor transition energies in $11-\nu$ s and $11-\nu$ s will have a separation

$$E_D^A(2/\nu) = \frac{N_D N_D - 1}{\Delta E_{MF}} + \frac{N_D N_D - 1}{\Delta E_{MC}}, \quad (3)$$

where the neutral cations A^0 have the electron configuration (m, n) and the donor transition energies in $11-\nu$ s and $11-\nu$ s will have a separation



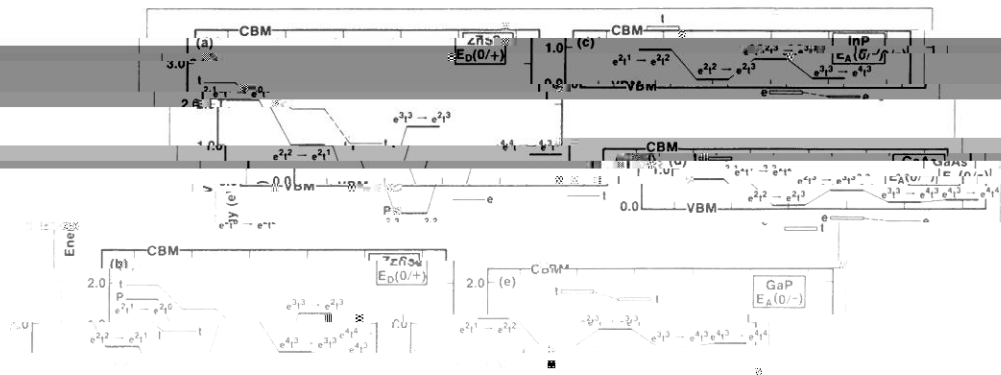
of bonds with nearest neighbors), and approximately equal from a local impurity, within a class of non-multiplet

Figure 1 - Comparison of effects for 3d transition and 4f transition

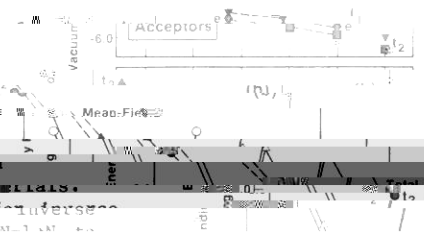
ground state of the 2+ oxidation state; (c) MC to transition

(in contrast with the point-ion crystal field theory). The nearly pure d¹⁰ character decreases for

impurity to the other (e.g. the correction reduces the excitation energy for Fe but increases it for Ni).



...within a given class. Fourth, in contrast to $d \rightarrow d^*$ excitations ... acceptor ...



...magnitude. Clearly, the μ are comparable to MF effects. The ...

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(2a). Using the same numbers as above, this means

$E_A(0/-)$ transition in Eq

that $\Delta E_{\text{ver}}^{(2)} < 1.6$ eV. Recent measurements (9a) show that this is not the case for GaP, but could be the case for GaP:Mn, but

